

Concept: Multiplying and Dividing Whole Numbers

Name: _____

COMPUTER COMPONENT

Instructions: In follow the **Content Menu** path:

Whole Numbers and Integers > Multiplying and Dividing Whole Numbers



Work through all Sub Lessons of the following Lessons **in order**:

- *Multiplication Facts*
- *Commutative Property*
- *The 10 x 10 Multiplication Table*
- *The 12 x 12 Multiplication Table*
- *Associative Property*
- *Patterns in Multiplication*
- *Multiply by a Single Digit Multiplier*
- *Multiply by a Two Digit Multiplier*
- *Divide by a Single Digit Divisor*
- *Divide by partial quotients*
- *Word Problems by Various Methods*



As you work through the computer exercises, you will be prompted to make notes in your notebook/math journal.

OFF COMPUTER EXERCISES

1. Warm-up



There are _____ groups of _____.

$$\underline{\quad} + \underline{\quad} + \underline{\quad} + \underline{\quad} + \underline{\quad} + \underline{\quad} = \underline{\quad}$$

$$\underline{\quad} \times \underline{\quad} = \underline{\quad}$$

(b)

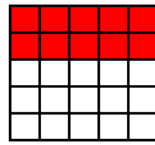
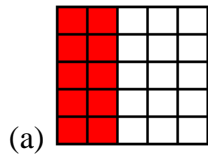


There are _____ groups of _____.

$$\underline{\quad} + \underline{\quad} + \underline{\quad} + \underline{\quad} + \underline{\quad} + \underline{\quad} + \underline{\quad} + \underline{\quad} = \underline{\quad}$$

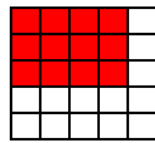
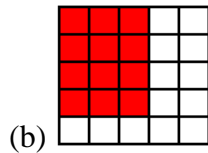
$$\underline{\quad} \times \underline{\quad} = \underline{\quad}$$

2. One of the cool things about multiplication and addition is that the order of the numbers does not matter. Your result will always be the same! This is called the *commutative property*.



_____ × _____ is the same as _____ × _____

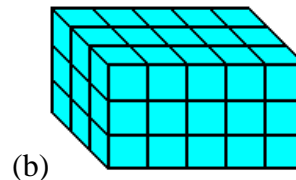
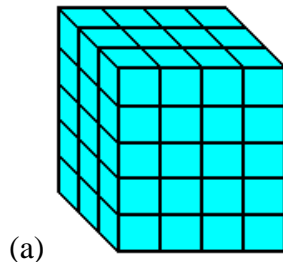
Both have a product of _____



_____ × _____ is the same as _____ × _____

Both have a product of _____

3. Sometimes factors in a multiplication question can be grouped. This strategy is called the *Associative/Grouping Property*.



Each layer has _____ × _____

There are _____ layers.

Then _____ layers have:

_____ × _____ = _____

Each slice has _____ × _____

There are _____ slices.

Then _____ slices have:

_____ × _____ = _____

4. We can use our knowledge of basic multiplication facts to solve multiplication questions with much larger numbers.

For instance, when multiplying multiples of *10*, *100* and *1000*, you simply multiply the whole numbers and then add the zero(s)

Examples:

$$\begin{aligned} 4 \times 30 &= 4 \times 3 \times 10 \\ &= 12 \times 10 \\ &= 120 \end{aligned}$$

$$\begin{aligned} 40 \times 30 &= 4 \times 3 \times 10 \times 10 \\ &= 12 \times 10 \times 10 \\ &= 1,200 \end{aligned}$$

$$\begin{aligned} 40 \times 300 &= 4 \times 3 \times 10 \times 100 \\ &= 12 \times 10 \times 100 \\ &= 12,000 \end{aligned}$$

Now it's your turn:

(a) $6 \times 50 =$

=

=

(b) $40 \times 50 =$

=

=

(c) $60 \times 900 =$

=

=

(d) $200 \times 300 =$

=

=

(e) Which stack would you most like to have?



400 \$20 bills



300 \$50 bills



200 \$100 bills

Explain your choice:

(f) A map has a scale where 1 cm represents 200 km.

Calculate how many kilometres are represented by 40 cm.

Show your calculations:

There are a variety of strategies that you can employ when completing multiplication questions. Here are some examples of approaches you can take when **Multiplying by a Single Digit Multiplier**:

Repeated Addition

$$\begin{aligned}
 5 \times 27 & \\
 = 27 + 27 + 27 + 27 + 27 & \\
 = 54 + 54 + 27 & \\
 = 108 + 27 & \\
 = 135 &
 \end{aligned}$$

Partial Products

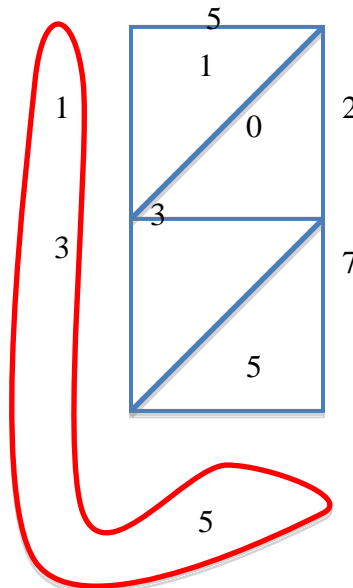
$$\begin{aligned}
 5 \times 27 &= (7 \times 5) + (5 \times 20) \\
 &= 35 + 100 \\
 &= 135
 \end{aligned}$$

Distributive Method

$$\begin{aligned}
 5 \times 27 &= 5 \times (20 + 7) \\
 &= 100 + 35 \\
 &= 135
 \end{aligned}$$

Lattice Method

$$5 \times 27 =$$



You now have many options to choose from!

Now that you are well versed in some of the various multiplication strategies, attempt to use a different strategy for each of the following questions.

5. Find the product for each of the following multiplication questions.

(a) $48 \times 6 =$

(b) $35 \times 7 =$

(c) $93 \times 5 =$

(d) $89 \times 8 =$

Here are some examples of approaches you can take when **Multiplying by a two-digit Multiplier**:

Partial Products

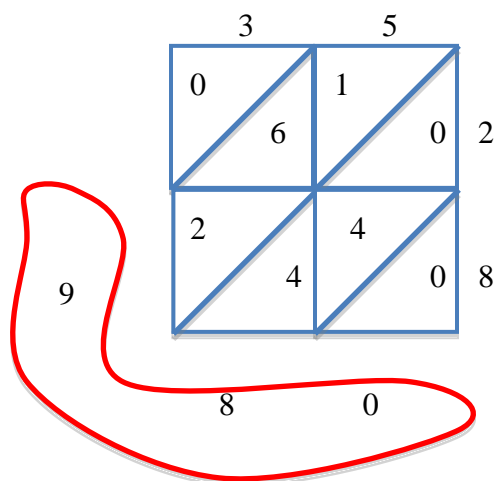
$$\begin{aligned}
 35 \times 28 &= (5 \times 8) + (5 \times 20) + (8 \times 30) + (20 \times 30) \\
 &= 40 + 100 + 240 + 600 \\
 &40 \\
 &= 140 + 840 \\
 &= 980
 \end{aligned}$$

Distributive Method

$$\begin{aligned}
 35 \times 28 &= (30 + 5) \times (20 + 8) \\
 &= 600 + 240 + 100 + \\
 &= 840 + 140 \\
 &= 980
 \end{aligned}$$

Lattice Method

$$35 \times 28$$



You now have many options to choose from!

Now that you are well versed in some of the various multiplication strategies, attempt to use a different strategy for each of the following questions.

6. Find the product for each of the following multiplication questions.

(a) 27×29

(b) 24×34

(c) 35×18

(d) 31×28

7. Find the quotient of each of these *single divisor* division questions.

Example:

$$\begin{array}{r}
 117 \\
 7 \overline{)819} \\
 \underline{-7} \\
 11 \\
 \underline{-7} \\
 49 \\
 \underline{-49} \\
 0
 \end{array}$$

(a)

$$4 \overline{)658}$$

(b)

$$5 \overline{)329}$$

(c)

$$6 \overline{)162}$$

(d)

$$8 \overline{)868}$$

8. Complete the following division questions using “Partial Quotients.” Try two different sets of friendly numbers for each question. The first one is done for you.

Example:

or

$$\begin{array}{r}
 29 \overline{)986} \\
 \underline{-290} \\
 696 \\
 \underline{-290} \\
 406 \\
 \underline{-290} \\
 116 \\
 \underline{-116} \\
 0
 \end{array}$$

10

10

10

4

$$\begin{array}{r}
 29 \overline{)986} \\
 \underline{-580} \\
 406 \\
 \underline{-406} \\
 0
 \end{array}$$

20

14

(a)

or

$$5 \overline{)236}$$

$$5 \overline{)236}$$

(b)

or

$$16 \overline{)660}$$

$$16 \overline{)660}$$

(c) Fill in the missing numbers to complete the division question in two different ways.

$$\begin{array}{r}
 36 \overline{) 864} \\
 \underline{- 360} \\
 504 \\
 \underline{- \quad} \\
 \underline{- \quad} \\
 0
 \end{array}$$

12

$$\begin{array}{r}
 36 \overline{) 864} \\
 \underline{- \quad} \\
 144 \\
 \underline{- \quad} \\
 0
 \end{array}$$

20

9. A school has 300 students. They all come to school by bus, and each bus carries the same number of students. How many students *might* there be on each bus?

10. What could you add to 451 to make it divisible by 10?

11. $? \times ? = 1,440$. What *might* the missing numbers be? How many different answers can you find?
