

## Concept: The Meaning of Exponents

Name:

- You should have completed Exponents – Section 1 Part A: The Meaning of Exponents before beginning this handout.

### Warm Up

Complete the following. Show all your steps.

(a)  $2 \times 2 =$

(b)  $3 \times 3 \times 3 =$

(c)  $4 \times 4 \times 4 \times 4 =$

(d)  $5 \times 5 \times 5 \times 5 \times 5 \times 5 =$

(e)  $6 \times 6 \times 6 \times 6 \times 6 \times 6 =$

(f)  $7 \times 7 \times 7 \times 7 \times 7 \times 7 \times 7 =$

### COMPUTER COMPONENT

**Instructions:** In UMATH X follow the **Content Menu** path:

**Exponents > The Meaning of Exponents**

NOTE: Use the **Menu** button in order to get to the lesson where you left off.



Work through all Sub Lessons of the following Lessons **in order**:

- *Exponents, Powers, Bases*
- *Powerful Explosions*
- *Introductory Examples*
- *Examples – Substitution*
- *Examples – Order of Operations*



As you work through the computer exercises, you will be prompted to make notes in your notebook/math journal.

**NOTES:**

Fill in the following blanks:

- Exponents are used to write \_\_\_\_\_ expressions that have repeated \_\_\_\_\_.

$$2^4$$

- The base is \_\_\_\_ Use the base as the \_\_\_\_\_.
- The exponent is \_\_\_\_\_. The exponent indicates how many \_\_\_\_\_ to use the base as a \_\_\_\_\_.
- The entire \_\_\_\_\_ is called a \_\_\_\_\_.

$$2^{10}$$

- is read as “\_\_\_\_\_ to the \_\_\_\_\_ of \_\_\_\_\_.”
- is read as “\_\_\_\_\_ to the \_\_\_\_\_.”

It means that you use \_\_\_\_\_ as a factor \_\_\_\_\_ times.

Fill in the chart.

Power	Base	Exponent	Factor	Standard Form
	2	1	2	2
	2	2	$2 \times 2$	4
	2	3	$2 \times 2 \times 2$	
	2	4	$2 \times 2 \times 2 \times 2$	
	2	5		
	2	6		
	2	7		

	2			
	2			
	2			
	2			
<b>Power</b>	<b>Base</b>	<b>Exponent</b>	<b>Factor</b>	<b>Standard Form</b>
	3			
	3			
	3			
	3			
	3			
<b>Power</b>	<b>Base</b>	<b>Exponent</b>	<b>Factor</b>	<b>Standard Form</b>
	4			
	4			
	4			
	4			
<b>Power</b>	<b>Base</b>	<b>Exponent</b>	<b>Factor</b>	<b>Standard Form</b>
	5			

	5			
	5			
	5			
<b>Power</b>	<b>Base</b>	<b>Exponent</b>	<b>Factor</b>	<b>Standard Form</b>
	6			
	6			
	6			
<b>Power</b>	<b>Base</b>	<b>Exponent</b>	<b>Factor</b>	<b>Standard Form</b>
	10			
	10			
	10			
	10			
	10			
	10			
	10			

**Interesting Fact:** *Descartes invented the exponent notation.*

[http://books.google.ca/books?id=7juWmvQSTvwC&pg=PA346&lpg=PA346&dq=exponents+Descartes&source=web&ots=KWf1CmK8Ss&sig=eTUkAqRdrQIDf8PUXpqlZCiRCOU&hl=en&sa=X&oi=book\\_result&resnum=8&ct=result](http://books.google.ca/books?id=7juWmvQSTvwC&pg=PA346&lpg=PA346&dq=exponents+Descartes&source=web&ots=KWf1CmK8Ss&sig=eTUkAqRdrQIDf8PUXpqlZCiRCOU&hl=en&sa=X&oi=book_result&resnum=8&ct=result)

$S^6$

➤ “ $S^6$ ” is \_\_\_\_\_ by itself \_\_\_\_\_ times.

Remember:

- A power with a negative base is **positive** when \_\_\_\_\_ is \_\_\_\_\_.
- A power with a negative base is **negative** when \_\_\_\_\_ is \_\_\_\_\_.

**Practice:**

**Fill in the chart.**

Power	Expanded Form	Standard Form
$10^2$		
$3^3$		
$\left(\frac{2}{3}\right)^2$		
$(-7)^3$		
$(-7)^4$		
$(-1)^{23}$		
$(-1)^{44}$		
$4^3$		
$3^4$		
$(-2)^4$		
$-(2)^4$		

*Interesting fact:*

*Computer Memory*

*A byte is a unit of storage capable of storing one letter of the alphabet. For example, the word “math” requires four bytes to store in a computer.*

*Bytes of computer memory are often manufactured in amounts equal to powers of 2.*

*1 kilobyte (1K) =  $2^{10}$  = \_\_\_\_\_ bytes*

*1 megabyte (1 MB) =  $2^{20}$  = \_\_\_\_\_ bytes*

*1 gigabyte (1 GB) =  $2^{30}$  = \_\_\_\_\_ bytes*

*<http://www.webopedia.com/TERM/b/byte.html>*

### OFF COMPUTER EXERCISES

#### 1. Complete the chart.

Power	Expand the Power	Answer
$2^4$	(2) (2) (2) (2)	16
$(-2)^{16}$		
$-4^4$		
$(-4)^4$		
$(-1)^{33}$		
$(0.75)^3$		
$(-3)^5$		
$(-1)^{22}$		
$(-2)^3$		

2. Find the number that makes each expression true.

(a)  $2^{(\quad)} = 32$

(b)  $(-4)^{(\quad)} = -64$

(c)  $(\quad)^3 = -27$

(d)  $(0.5)^{(\quad)} = 0.25$

(e)  $(\quad)^{(\quad)} = 10\,000$

(f)  $1^3 + 2^3 + 3^3 + 4^3 = (\quad)^{(\quad)}$

3. For each of the following substitute, the given value and then evaluate the expression.  
 (Use good form.)

Example:  $x^2 + 2y^3$  when  $x = 2$  and  $y = -1$

$$\begin{aligned} x^2 + 2y^3 &= (\underline{2})^2 + 2(\underline{-1})^3 \\ &= 4 + 2(-1) \\ &= 4 + (-2) \\ &= 2 \end{aligned}$$

(a)  $2x^3$  when  $x = -2$

(b)  $-3x^3 - y^3$  when  $x = -1$  and  $y = 2$

(c)  $2x^3 - 3y$  when  $x = -3$  and  $y = -4$



(d)  $-4x^2y^3$  when  $x = -3$  and  $y = -2$

4. Evaluate. Remember to use **Order of Operations** rules.

(a)  $33 - 3^3 =$

(b)  $21 + 2^3 =$

(c)  $3^4 + 2(-17) =$

(d)  $2^5 - (5)(5) =$

(e)  $(2 + 3)^2 =$

(f)  $(2)^3 + (3)^2 =$

(g)  $(-4)^2 + (-1)^3 =$

(h)  $(3)^4 + (4)^3 =$

5. Fill in the blanks.

In an expression  $(-5)^3$ , 3 is the \_\_\_\_\_, -5 is the \_\_\_\_\_ and

$(-5)^3$  is the \_\_\_\_\_.

6. Is it possible for a person's age to be expressed as an exponent? *Explain your answer.*

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7. On my first birthday, my parents gave me a dollar. On each birthday after that, they tripled my previous amount.

*(a) How much money did I receive on my 13<sup>th</sup> birthday?*

*(b) If I saved my birthday money, how much money in total will I have on my 13<sup>th</sup> birthday?*